



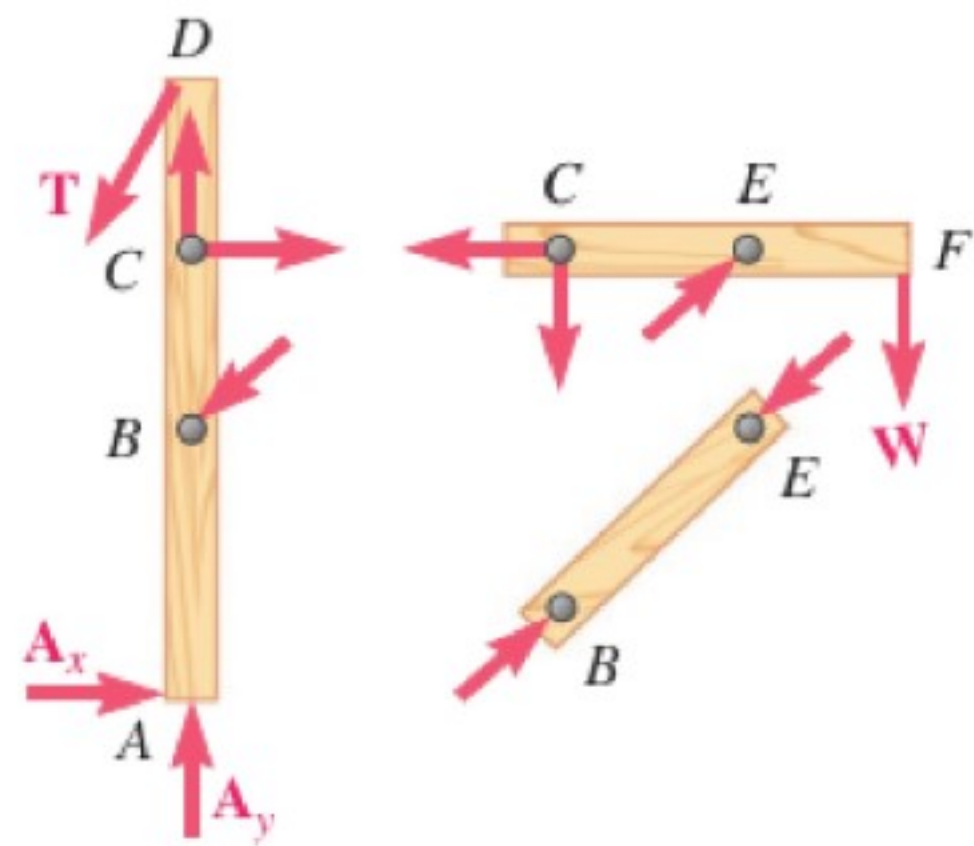
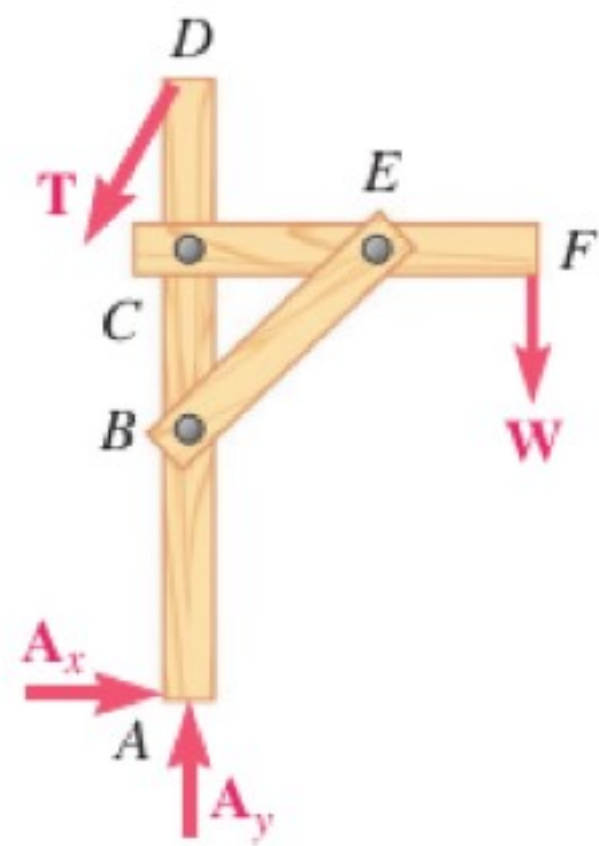
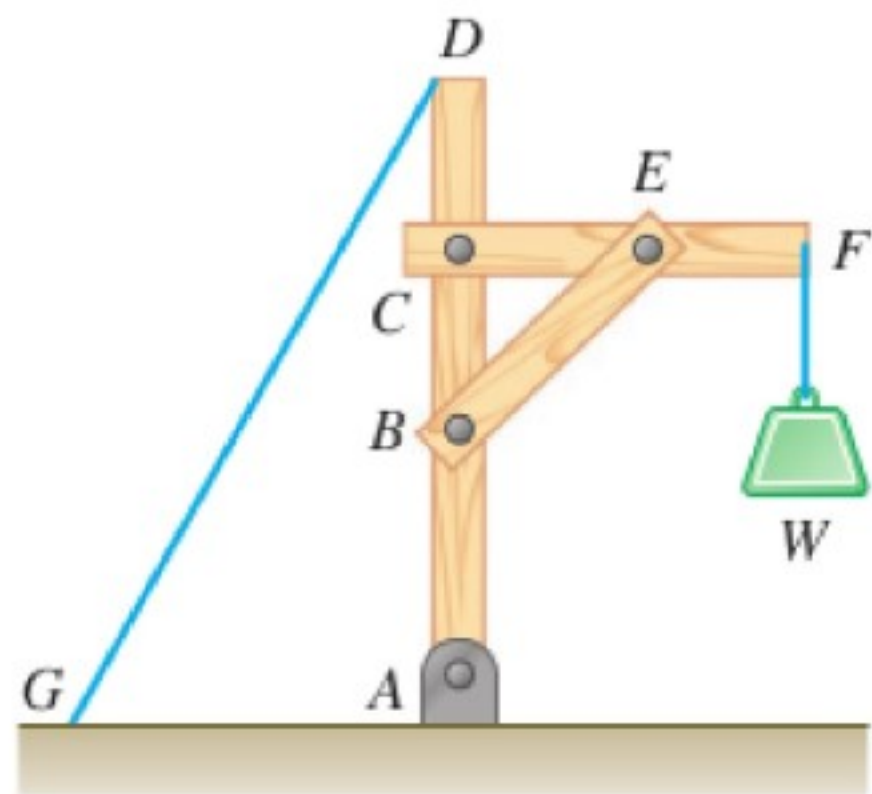
Deception
Pass
Bridge

6

Analysis of Structures

Trusses, such as this cantilever arch bridge over Deception Pass in Washington state, provide both a practical and an economical solution to many engineering problems.





Structure classes

Trusses

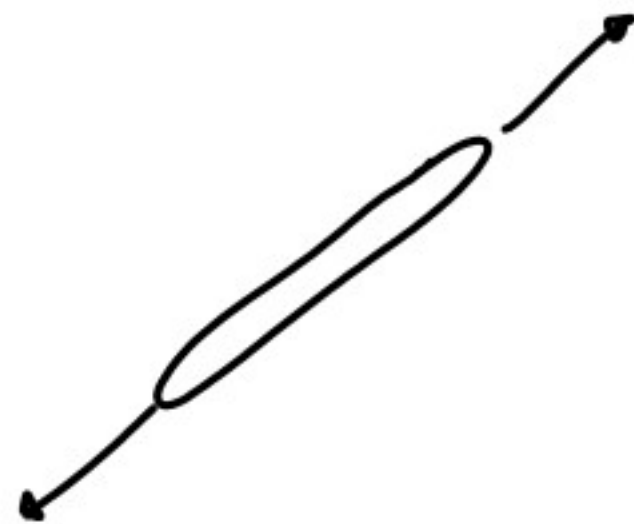
two force members

Frames

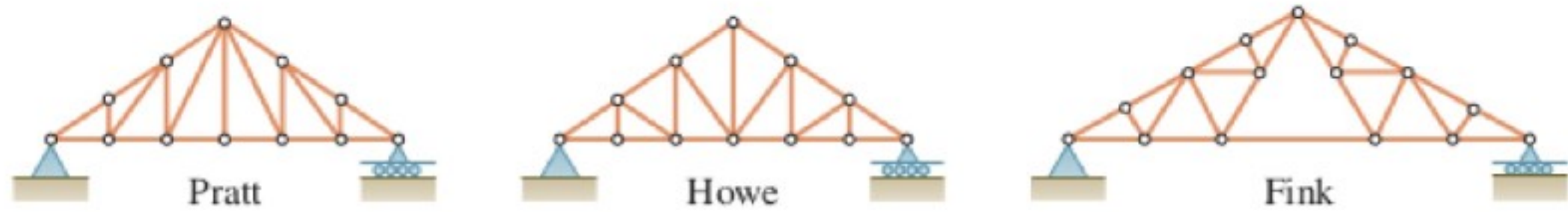
Multi-force members

Machine

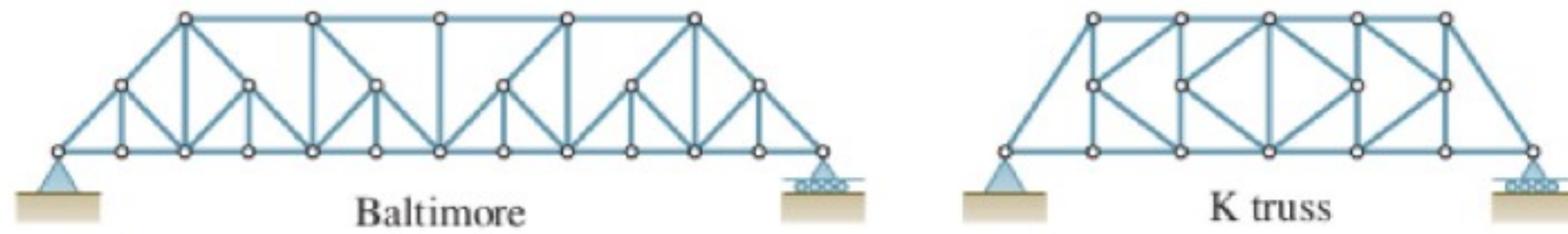
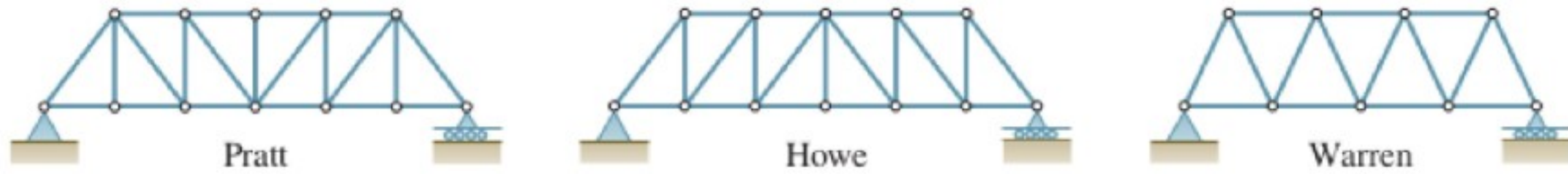
transform a force



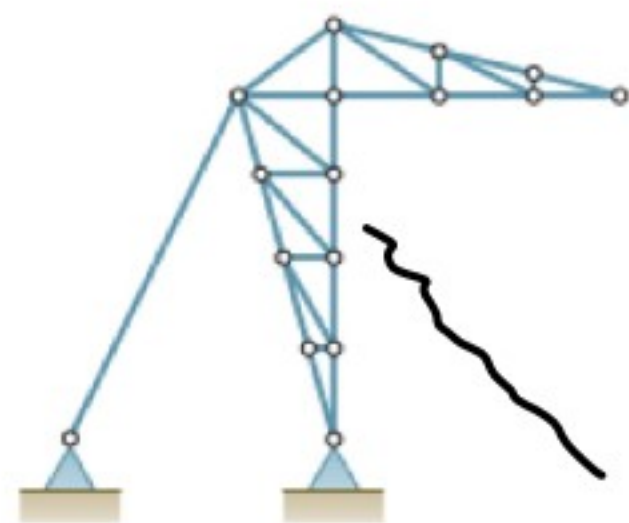




Typical Roof Trusses



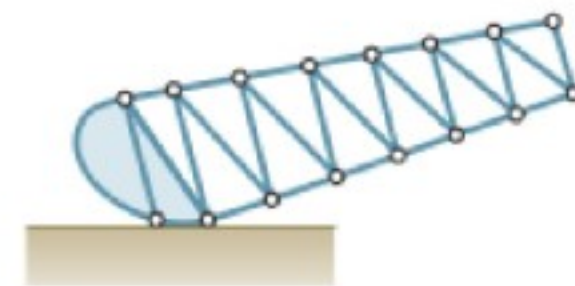
Typical Bridge Trusses



Stadium

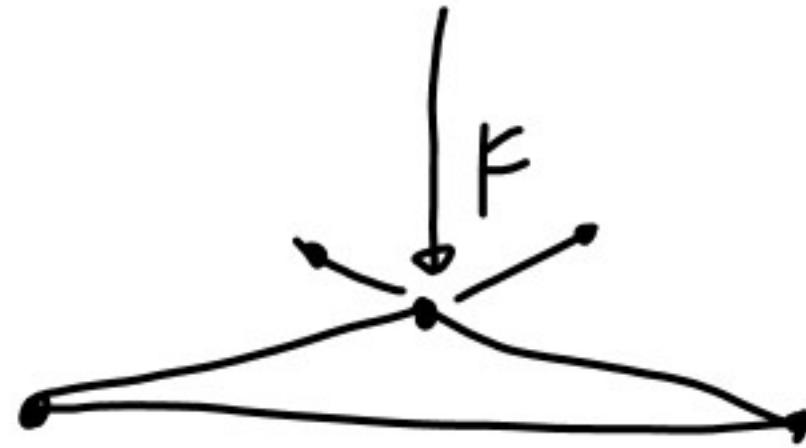
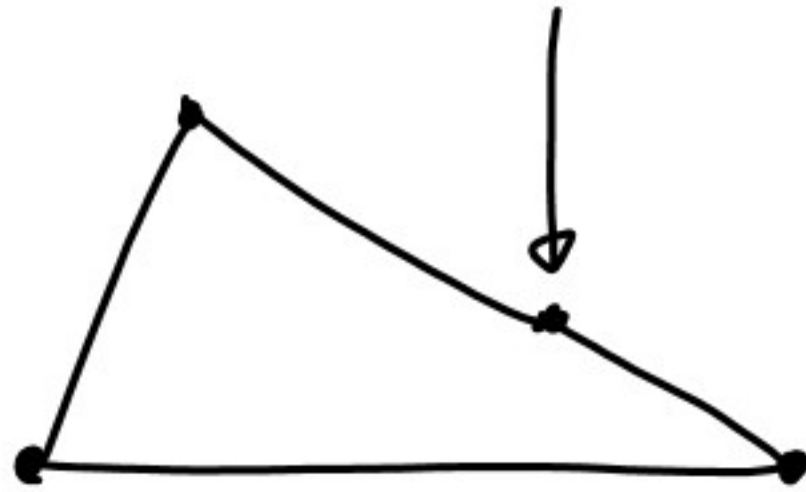
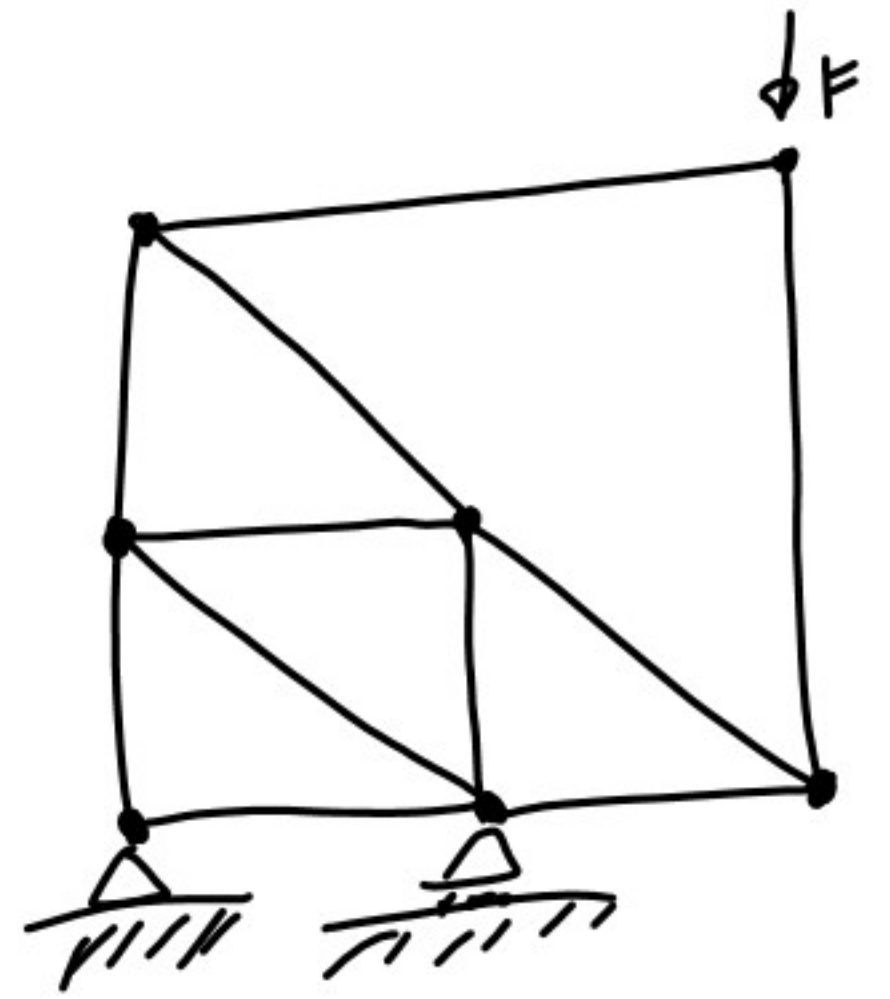
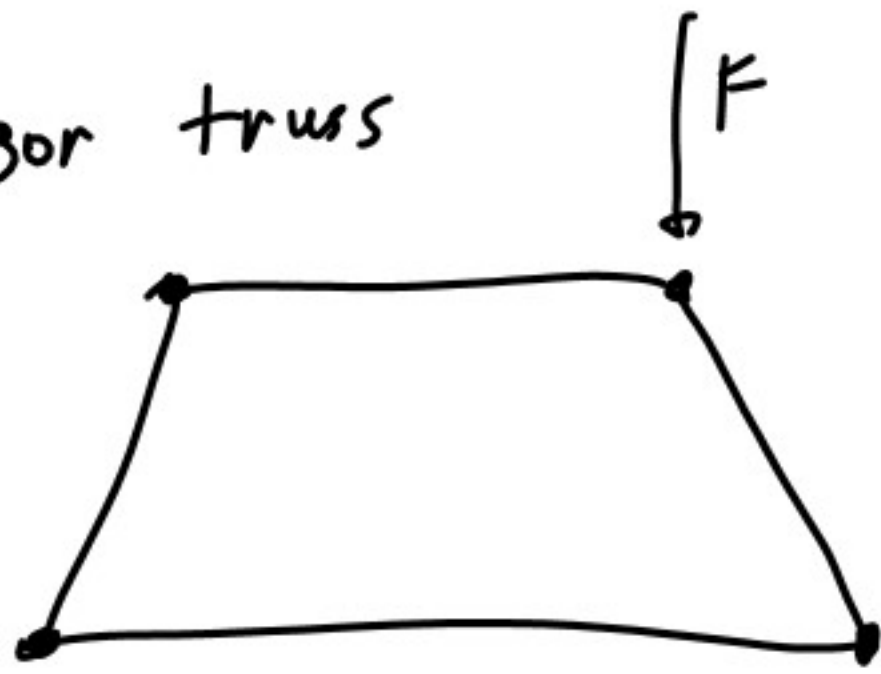


Cantilever portion of a truss

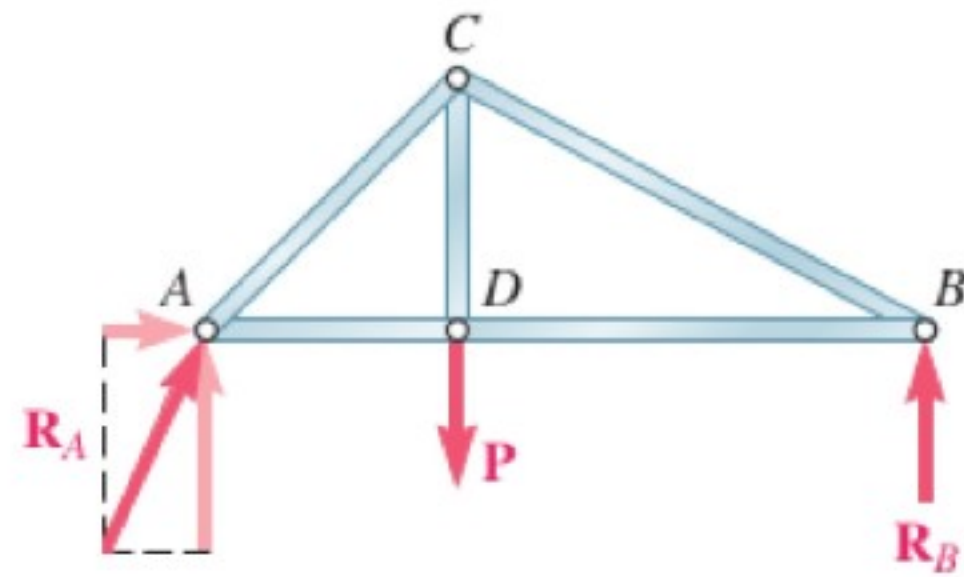


Bascule

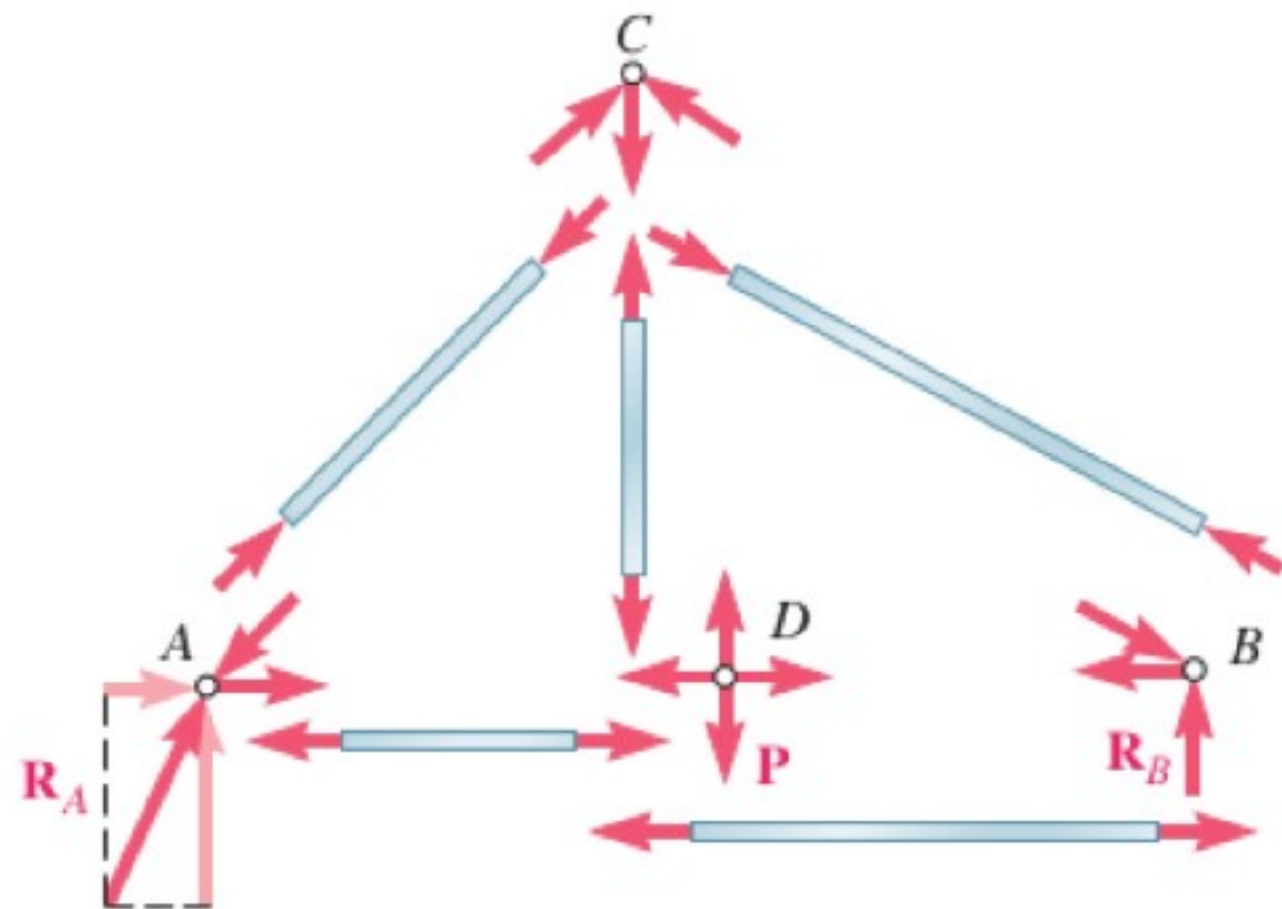
Roof truss



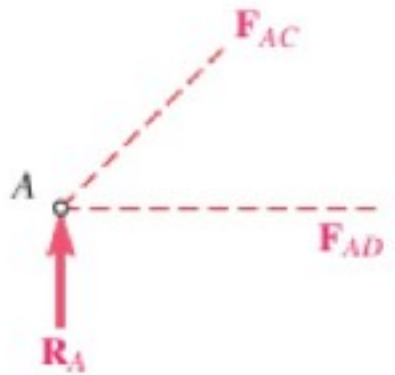
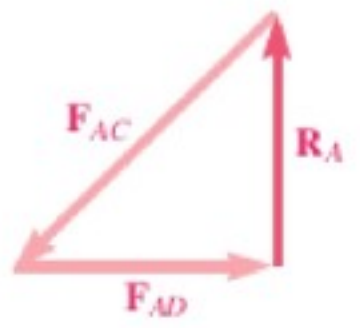
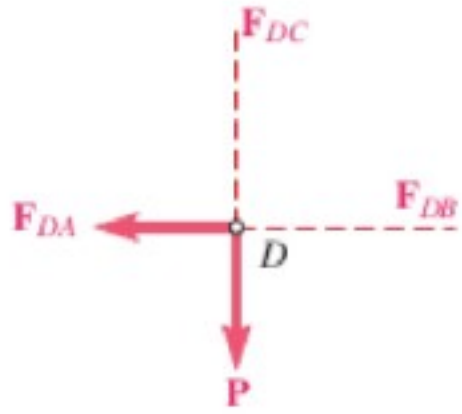
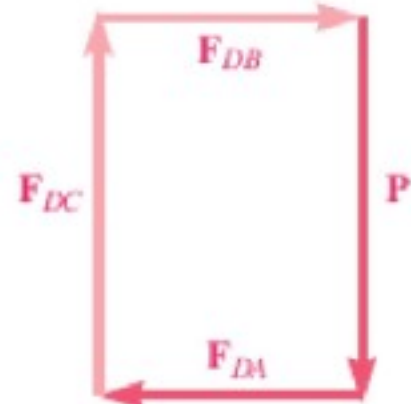
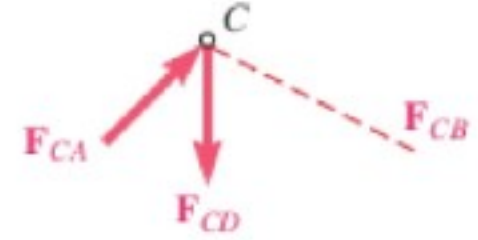
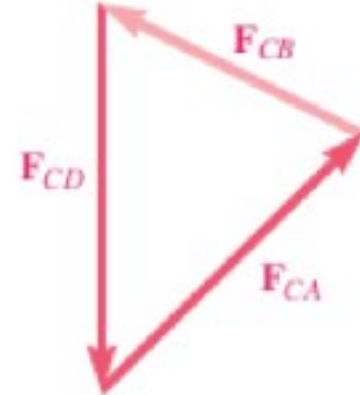
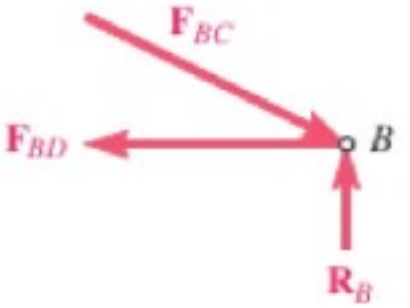
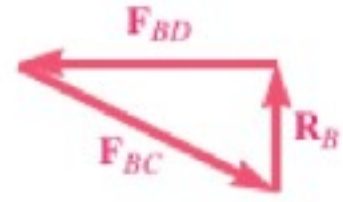
Method of Joints



(a)



(b)

	Free-body diagram	Force polygon
Joint A		
Joint D		
Joint C		
Joint B		

$$\sum F_x = 0 = R_{Ax}$$

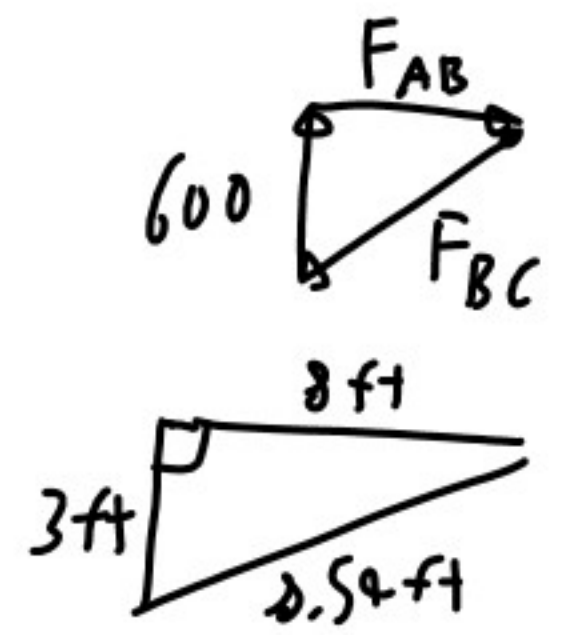
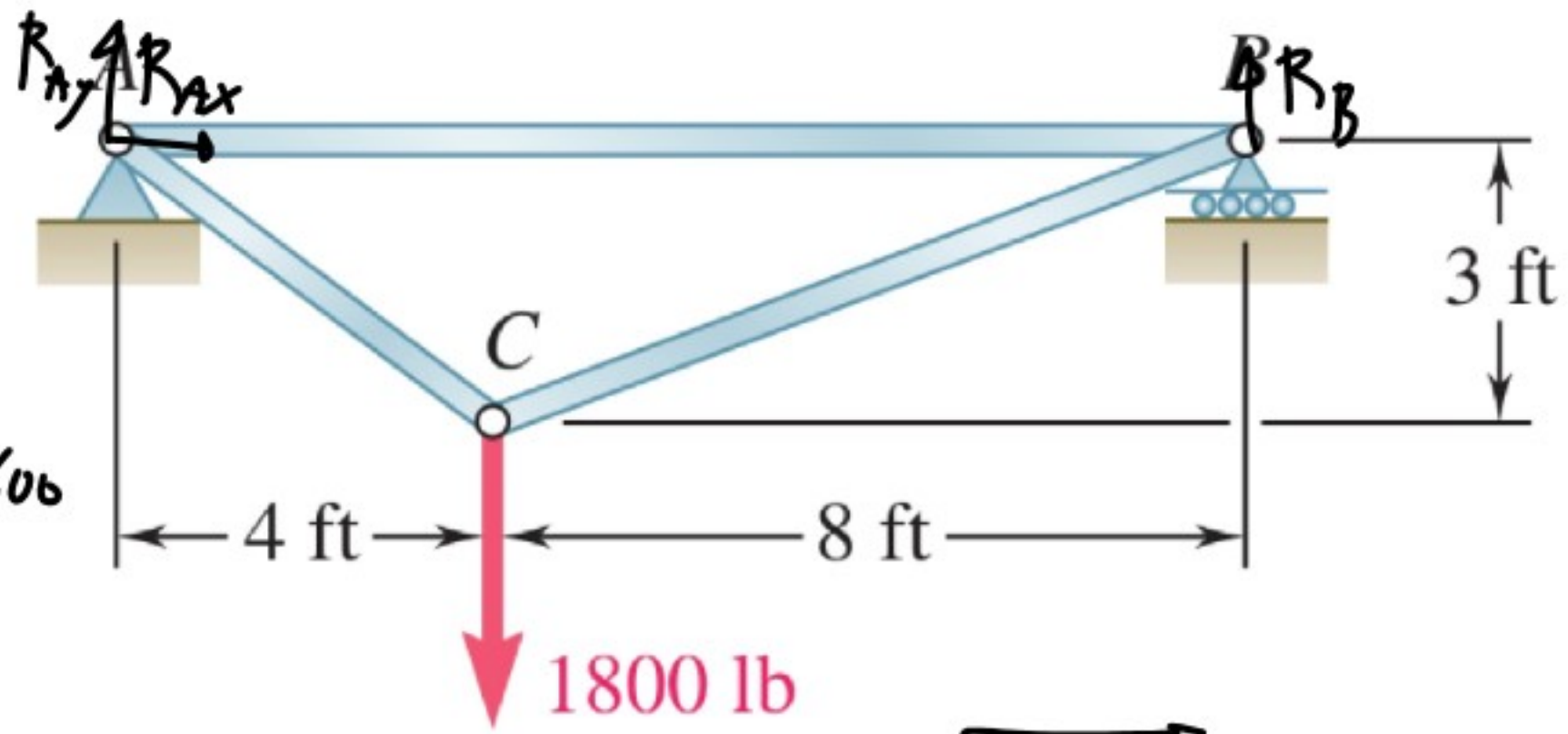
$$\sum M_A = -4 \cdot 1800 + 12 R_B = 0$$

$$R_B = \frac{4 \cdot 1800}{12} = 600 \text{ lb}$$

$$\sum F_y = 0$$

$$R_{Ay} + R_B - 1800 = 0$$

$$R_{Ay} = 1800 - R_B = 1800 - 600 = 1200 \text{ lb}$$



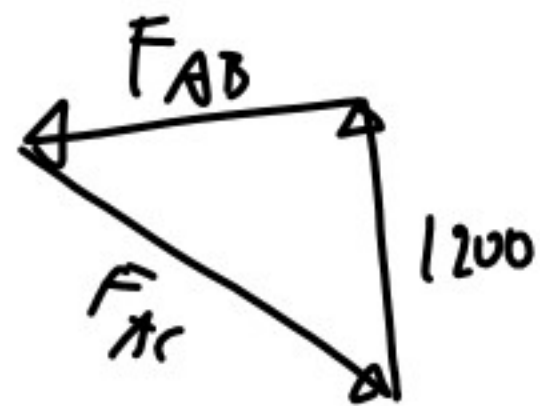
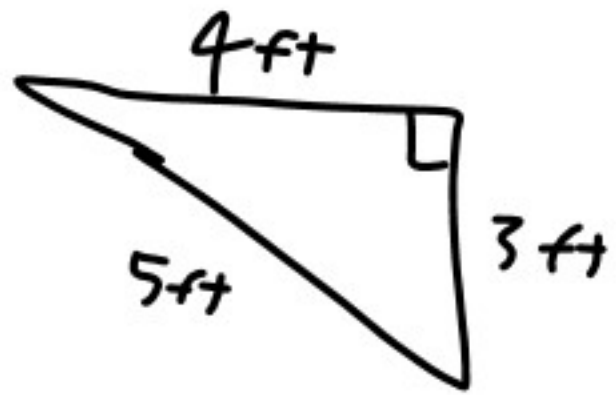
$$\sqrt{3^2 + 8^2} = 8.54$$

$$F_{BC} = 1709 \text{ lb}$$

$$\frac{F_{BC}}{600} = \frac{8.54}{3}$$

$$\frac{F_{AB}}{600} = \frac{8}{3}$$

$$F_{AB} = 600 \cdot \frac{8}{3} = 1600 \text{ lb}$$



$$\frac{F_{AC}}{1200} = \frac{5}{3}$$

$$F_{AC} = 1200 \frac{5}{3} = \boxed{2000 \text{ lb}}$$

$$\frac{F_{AC}}{F_{AB}} = \frac{5}{4}$$

$$F_{AC} = 1600 \frac{5}{4} = 2000 \checkmark$$

