

```
syms S kp ki kd % S is the laplace transform s
```

```
G_sym = 15000/(S^4+50*S^3+875*S^2+6250*S+15000); % plant  
C_sym = kp + ki/S + kd*S; % PID controller transfer fun
```

```
CL_sym = simplify( ...  
    C_sym*G_sym/(1+C_sym*G_sym) ...  
    )
```

```
CL_sym =
```

$$\frac{15000 kd S^2 + 15000 kp S + 15000 ki}{15000 S + 15000 ki + 15000 S kp + 15000 S^2 kd + 6250 S^2 + 875 S^3 + 50 S^4 + S^5}$$

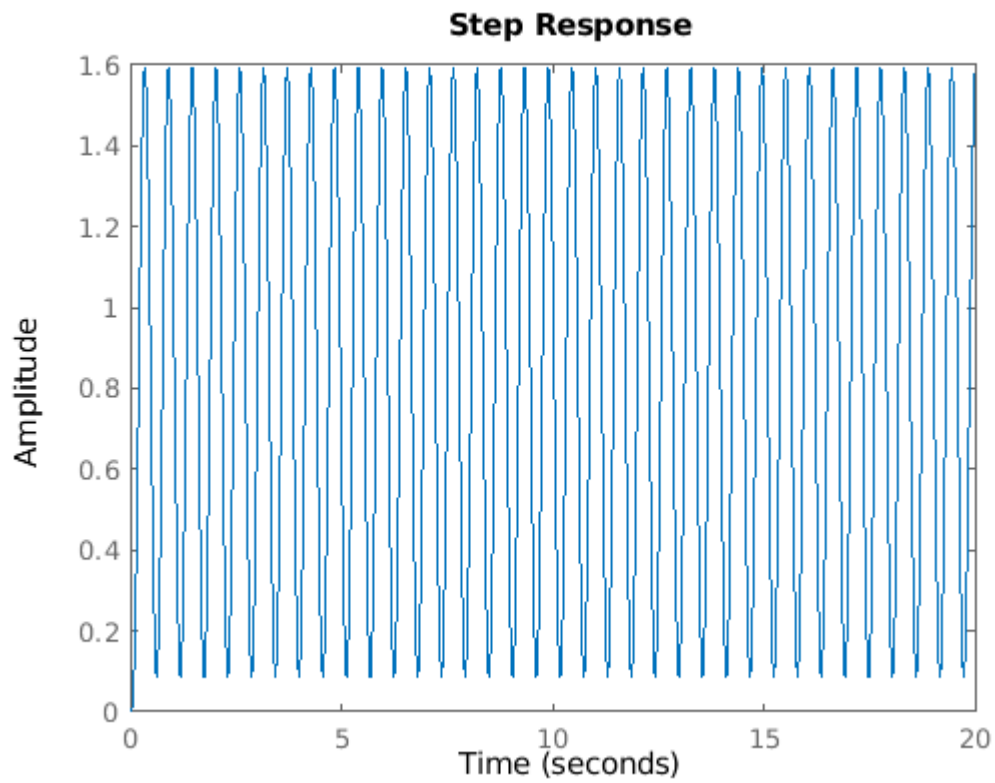
```
K_sub = @(Kp,Ki,Kd) sym_to_tf( ...  
    subs( ...  
        CL_sym, ...  
        {kp,ki,kd}, ...  
        {Kp,Ki,Kd} ...  
    ), ...  
    S ...  
    );  
K_sub(1,0,0) % e.g.
```

```
ans =
```

$$\frac{15000 s}{s^5 + 50 s^4 + 875 s^3 + 6250 s^2 + 30000 s}$$

Continuous-time transfer function.

```
step(K_sub(5.25, 0, 0))
```



$$K_u = 5.25$$

$$K_u = 5.2500$$

$$T_u = 5 / 9$$

$$T_u = 0.5556$$

$$K_p = 0.6 * K_u$$

$$K_p = 3.1500$$

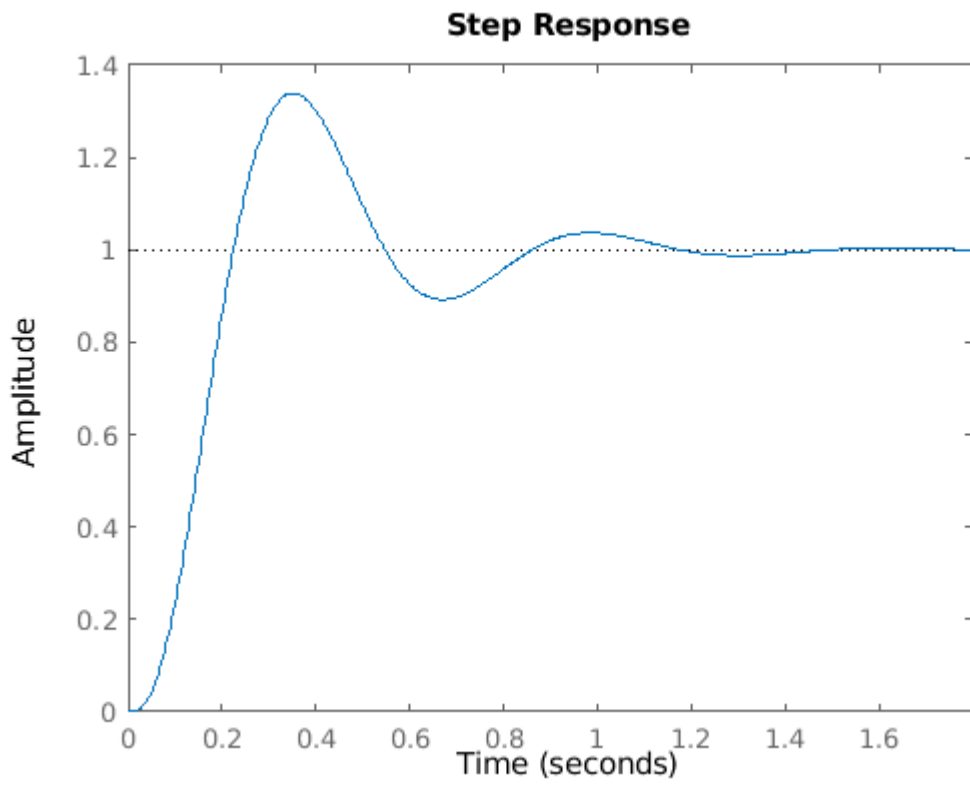
$$K_i = 1.2 * K_u / T_u$$

$$K_i = 11.3400$$

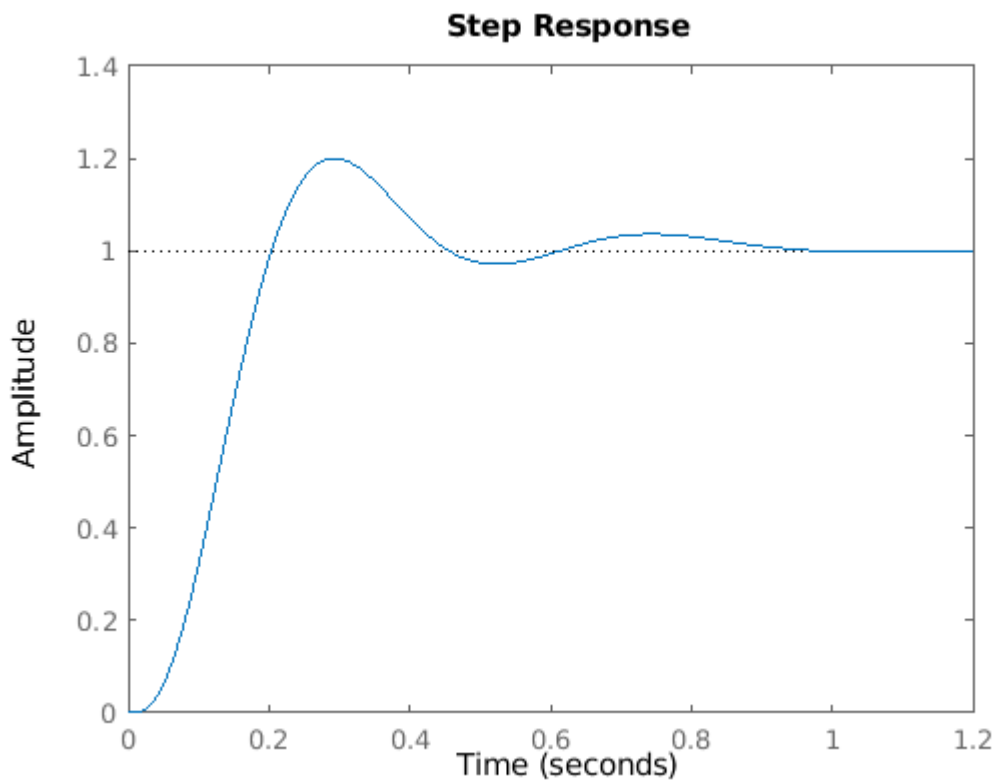
$$K_d = 3 * K_u * T_u / 40$$

$$K_d = 0.2188$$

$$\text{step}(K_{\text{sub}}(K_p, K_i, K_d))$$



```
step(K_sub(Kp, Ki, 0.35))
```



```
function tf_obj = sym_to_tf(sym_tf,s_var)
    % TODO test to make sure s_var is in, → symvar(sym_tf) ...
    syms(symvar(sym_tf))
    syms s
    sym_tf = subs(sym_tf,s_var,s);
    tf_str = char(sym_tf);
    s = tf([1,0],[1]);
    eval(['tf_obj = ',tf_str, ';']);
end
```